

**QMCDB:
A Living Database to Accelerate
Worldwide Development & Usage of
Quantum Monte Carlo Methods**

Elif Ertekin, Ray Plante, Lucas K. Wagner

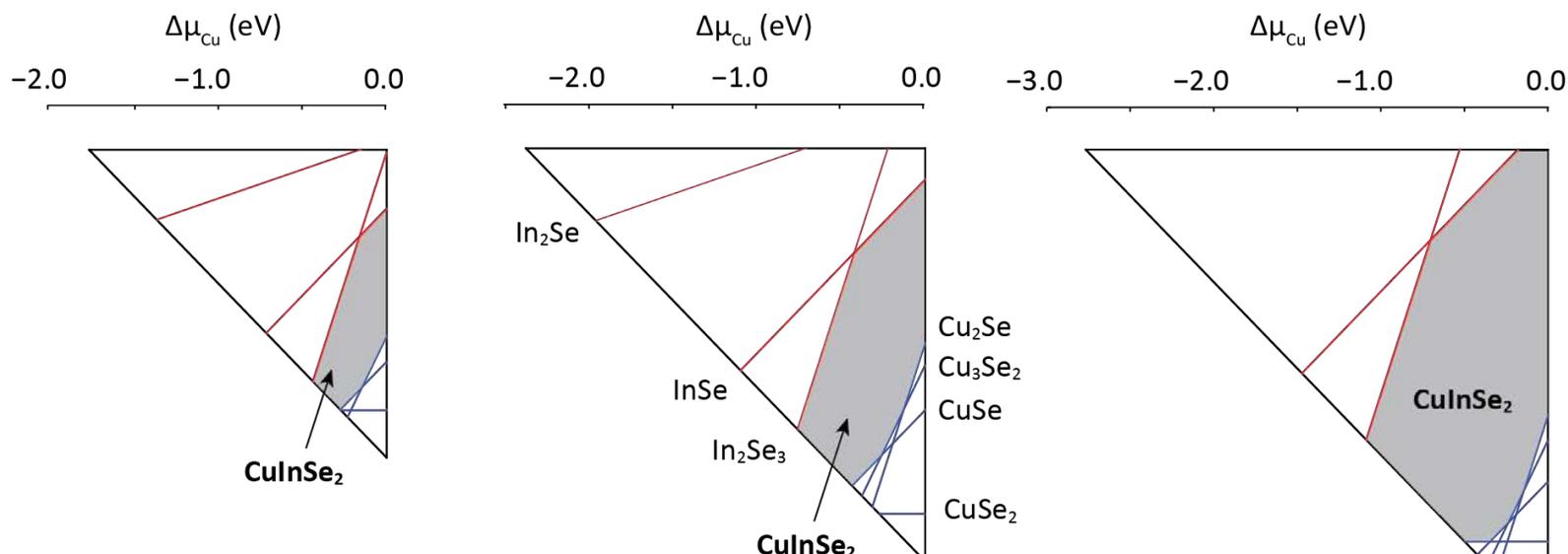
Additional materials:
 Emerging materials with
 modified properties

Need to know: where do
 we put the atoms to get
 the desired effect? And can
 we put the atoms there?



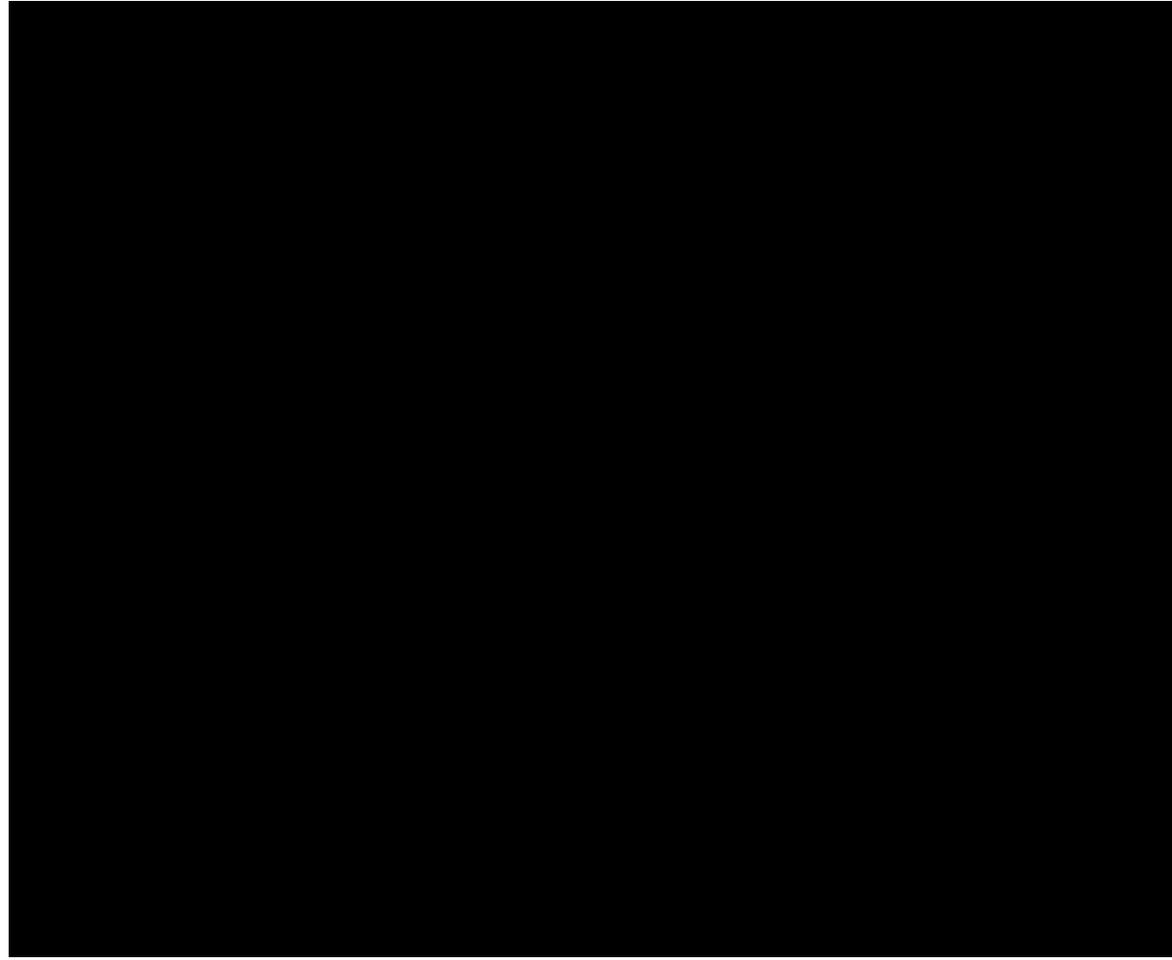
Photovoltaic cells in Urban

Case study of chalcopyrite material CuInSe_2



'xy' case,
 to predict
 ability

superconductivity
and magnetism—
so strange
quantum effects
we see day to day



Quantum mechanics: wave
function

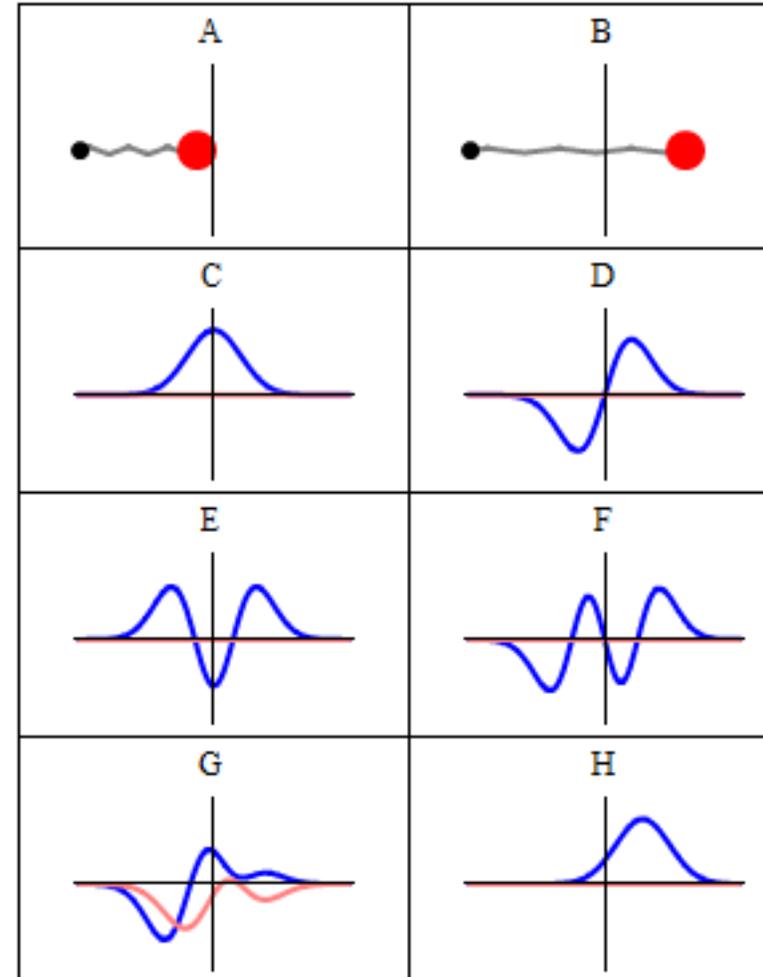
Probability density

Mathematically we want to

see

$$\hat{H}\Psi_i(r, t) = i\frac{d}{dt}\Psi_i(r, t)$$

Differential operator



function
composition

$$\hat{H}\Psi_i(r) = E_i\Psi_i(r)$$

particle
function

$$\Psi(r) \rightarrow \Psi(r_1, r_2, r_3, \dots)$$

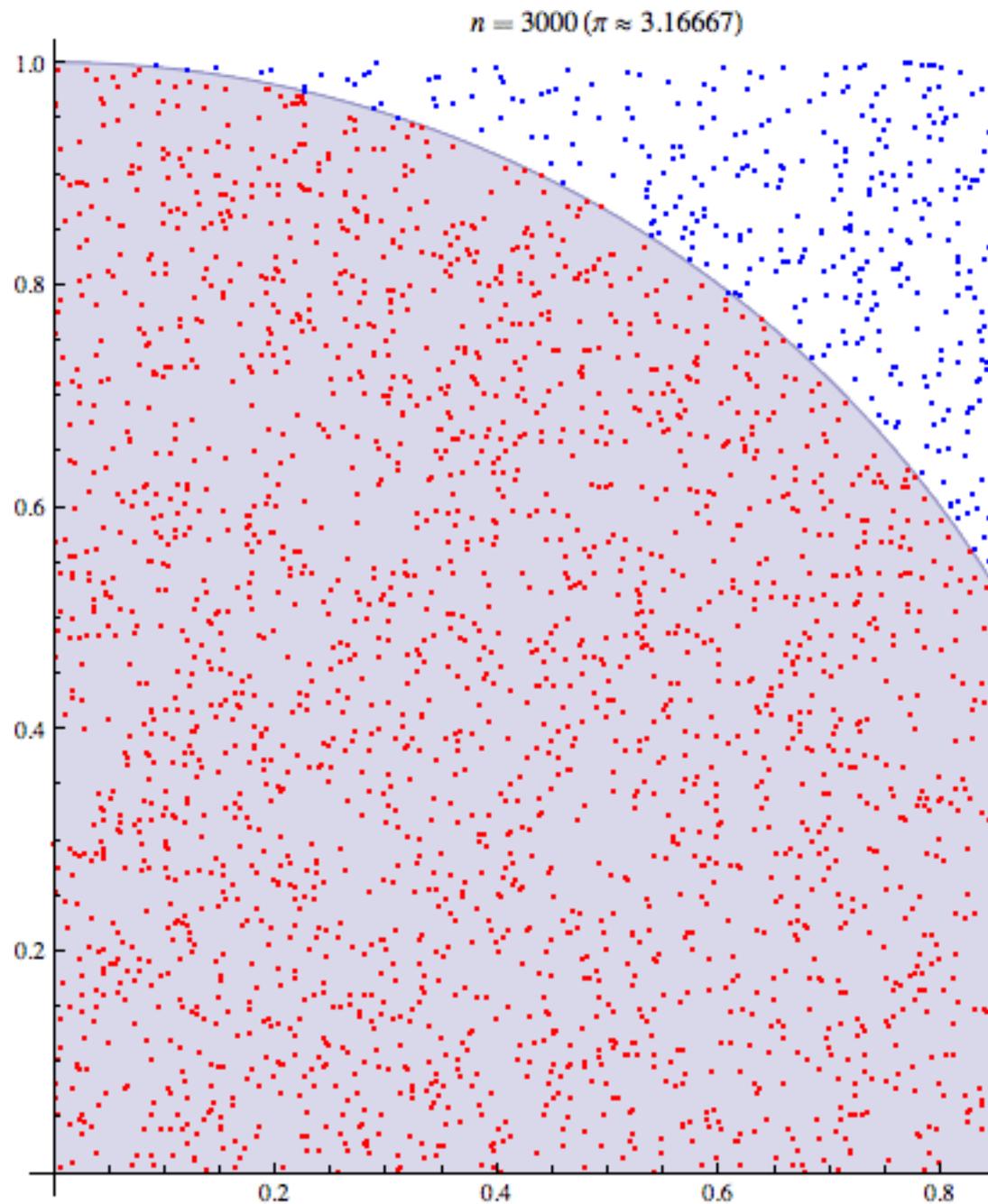
metry
element

$$\Psi(r_1, r_2, r_3, \dots) = -\Psi(r_2, r_1, r_3, \dots)$$

high dimensional partial differential equation!

don't know an efficient and exact way to solve for t

ple high dimensionality.
ead of worrying about
points, worry about
ance.



$$\hat{H}\Psi_i(r) = E_i\Psi_i(r)$$

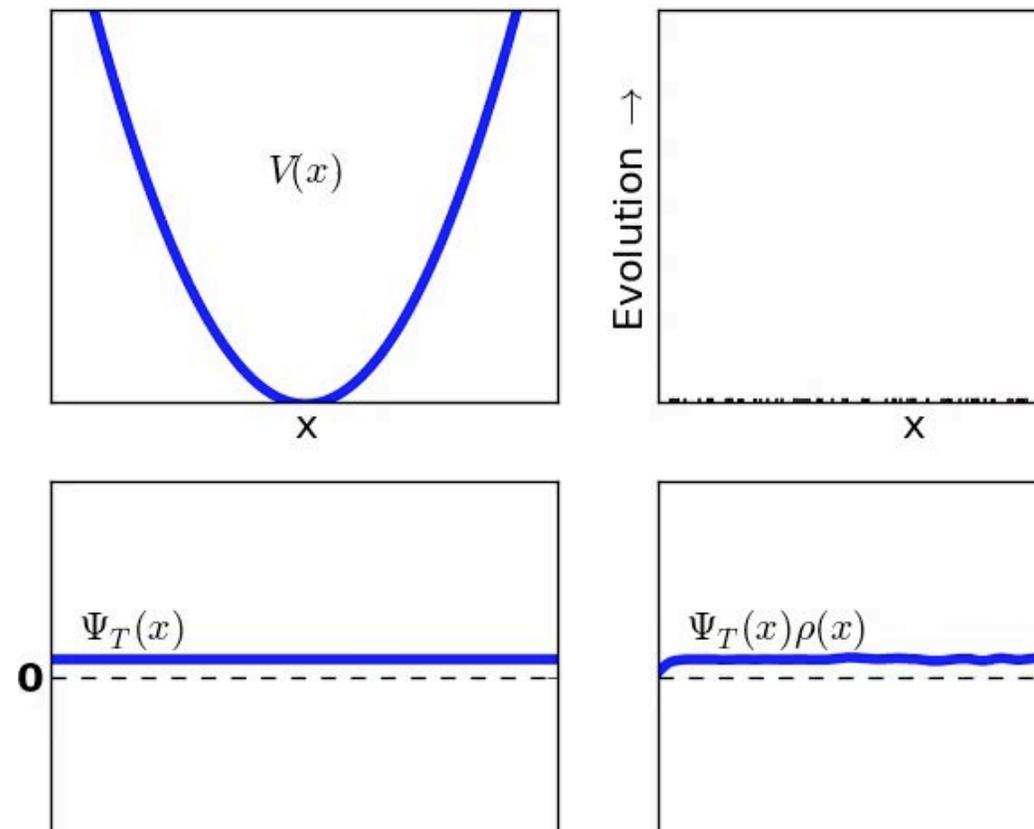
electrons, 300 K is cold
 particles spend almost all their time in the lowest energy

$$\frac{d}{dt}\Psi_i(r, t) = \hat{H}\Psi_i(r, t)$$

collapse to ground state

collapse into a stochastic process

collapse of walkers \leftrightarrow wave
 function value



$$\Psi(r_1, r_2, r_3, \dots) = -\Psi(r_2, r_1, r_3, \dots)$$

a constrained optimization!

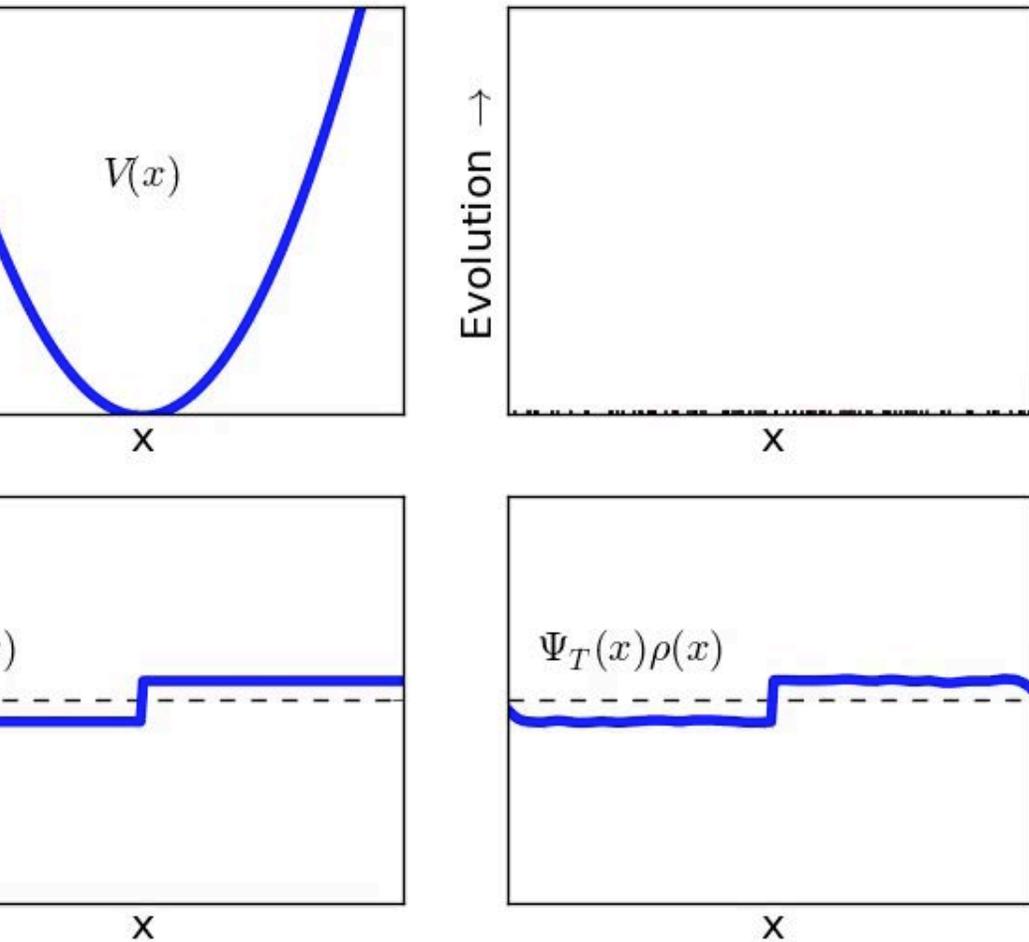
metric state lies below in the spectrum, must project
the antisymmetric state.

l/noise goes to zero.

pts to get around this only work in very specific
s.

e must approximate!

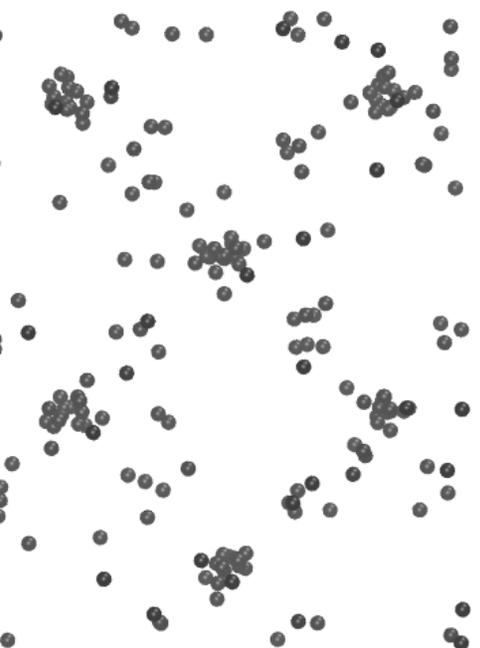
One approximation to many body S.E. solutions



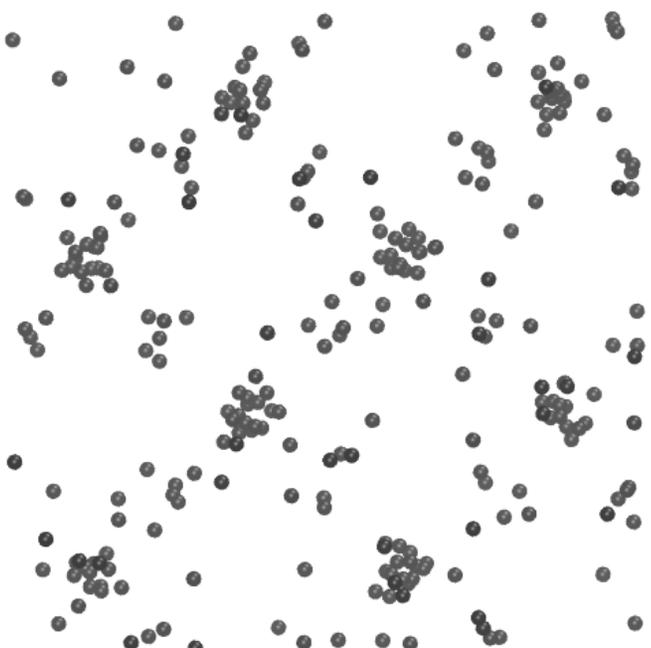
Energy obtained is an upper bound to exact ground

Can vary input wave function to get best upper bound

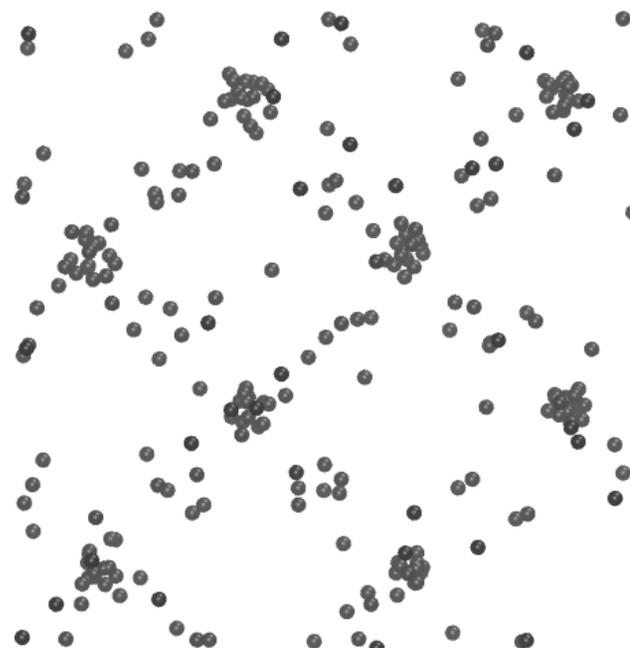
Sample 1



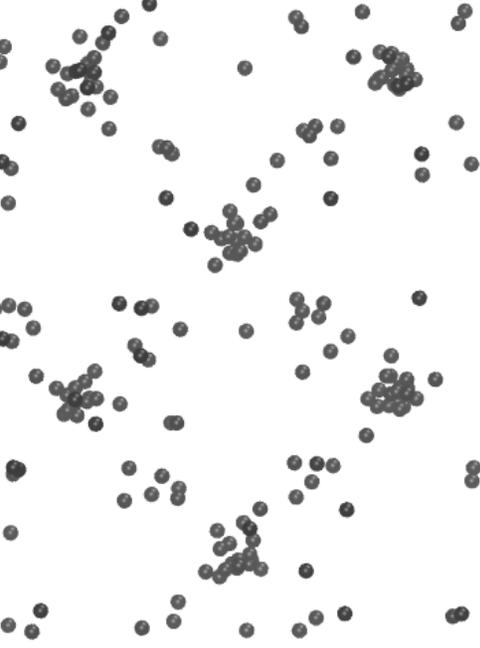
Sample 2



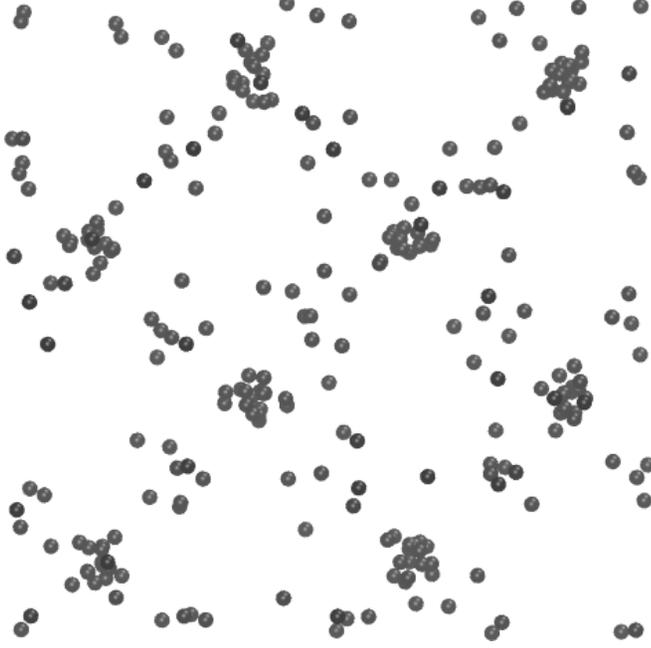
Sample 3



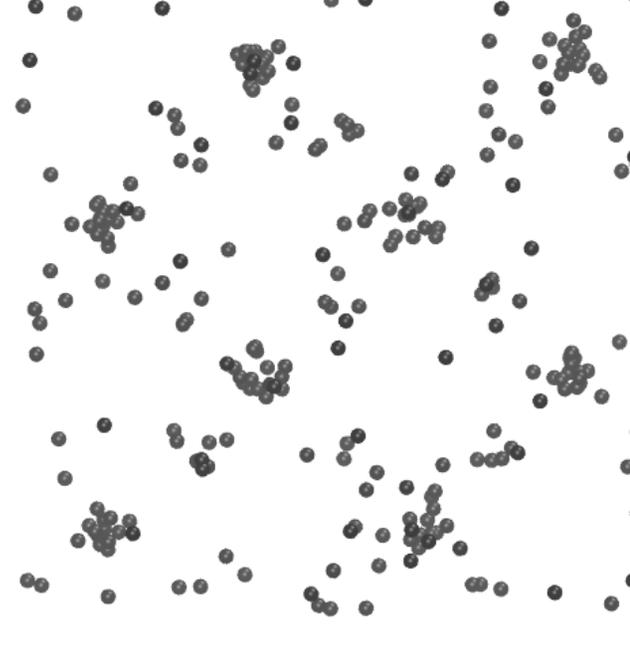
Sample 4



Sample 5



Sample 6



Density functional theory

Slater determinant

Variational Monte Carlo

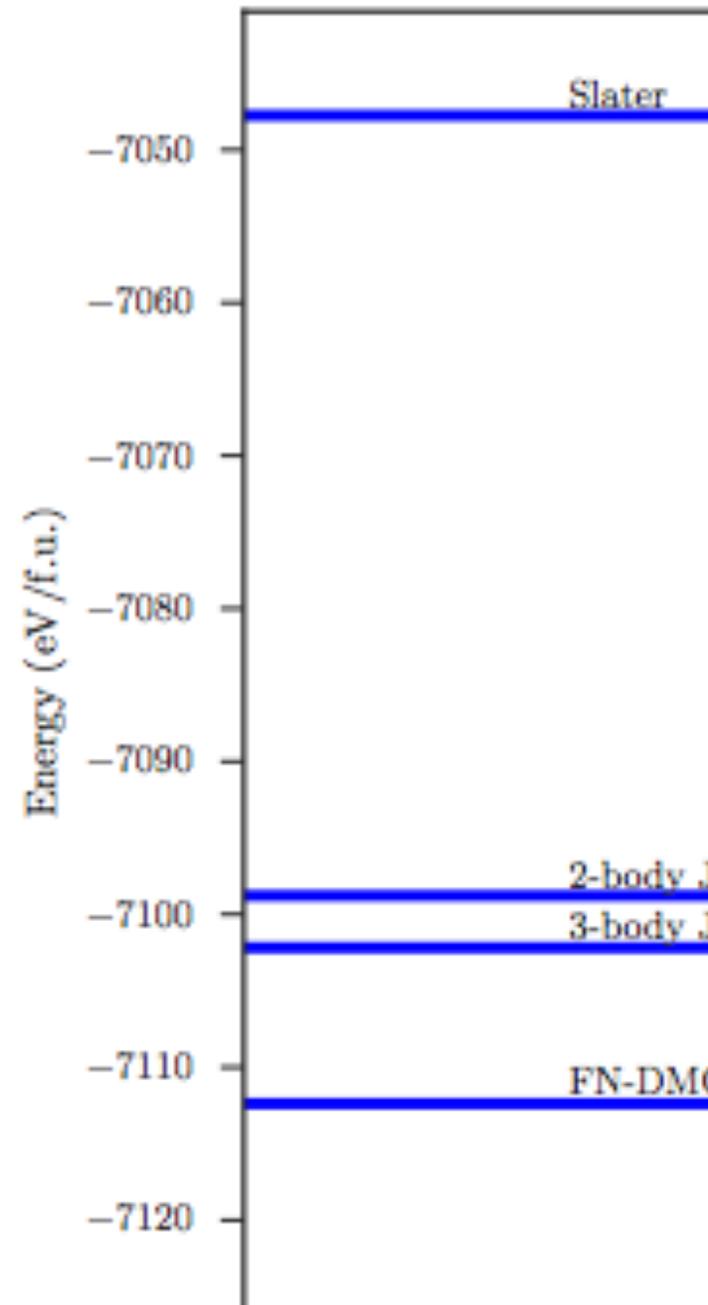
Slater-Jastrow

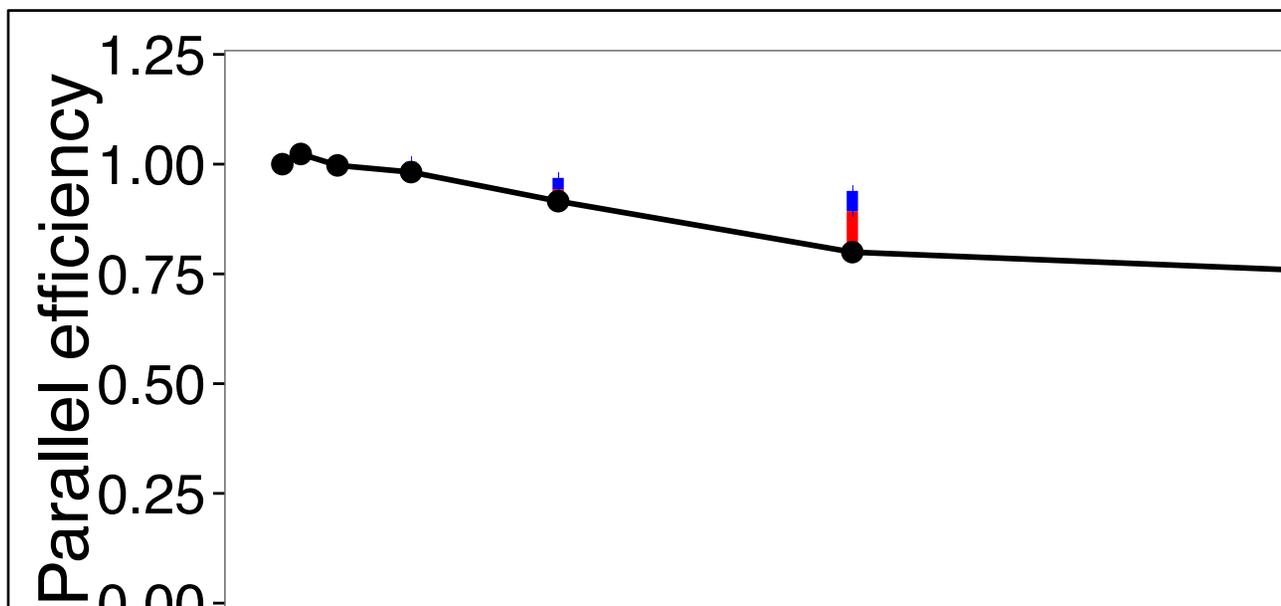
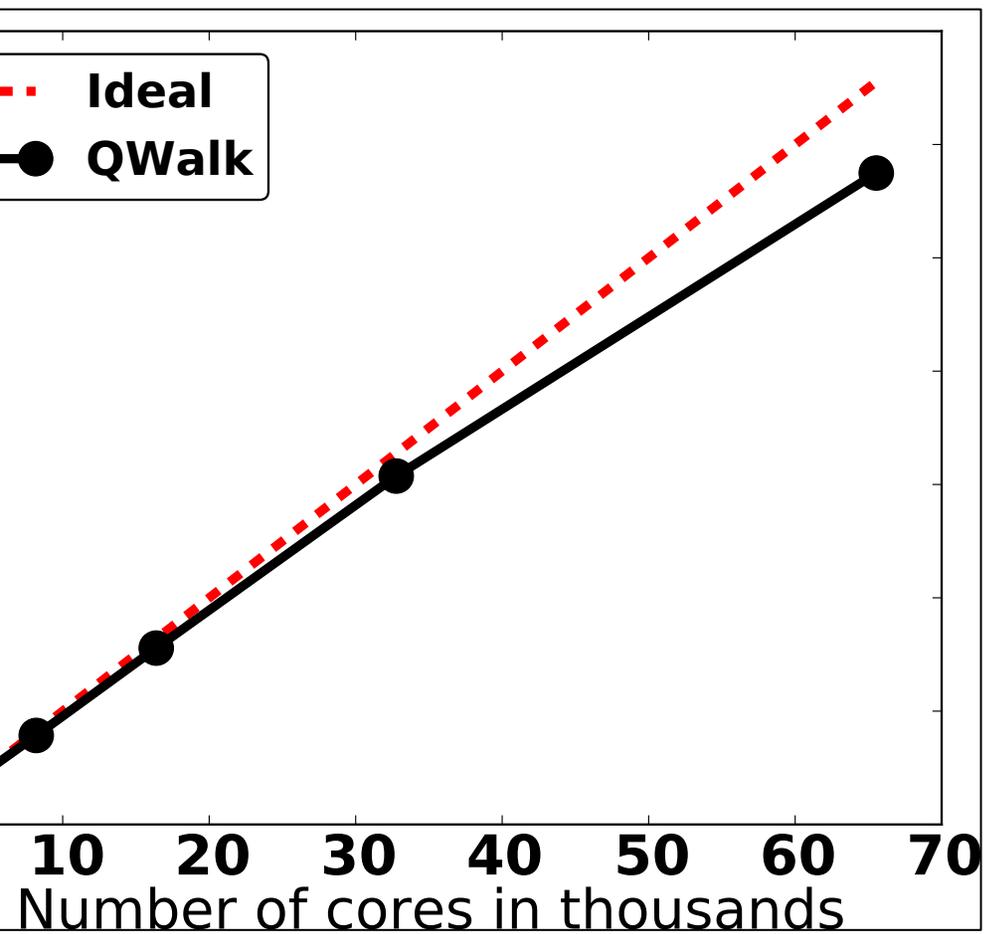
Fixed node diffusion Monte Carlo

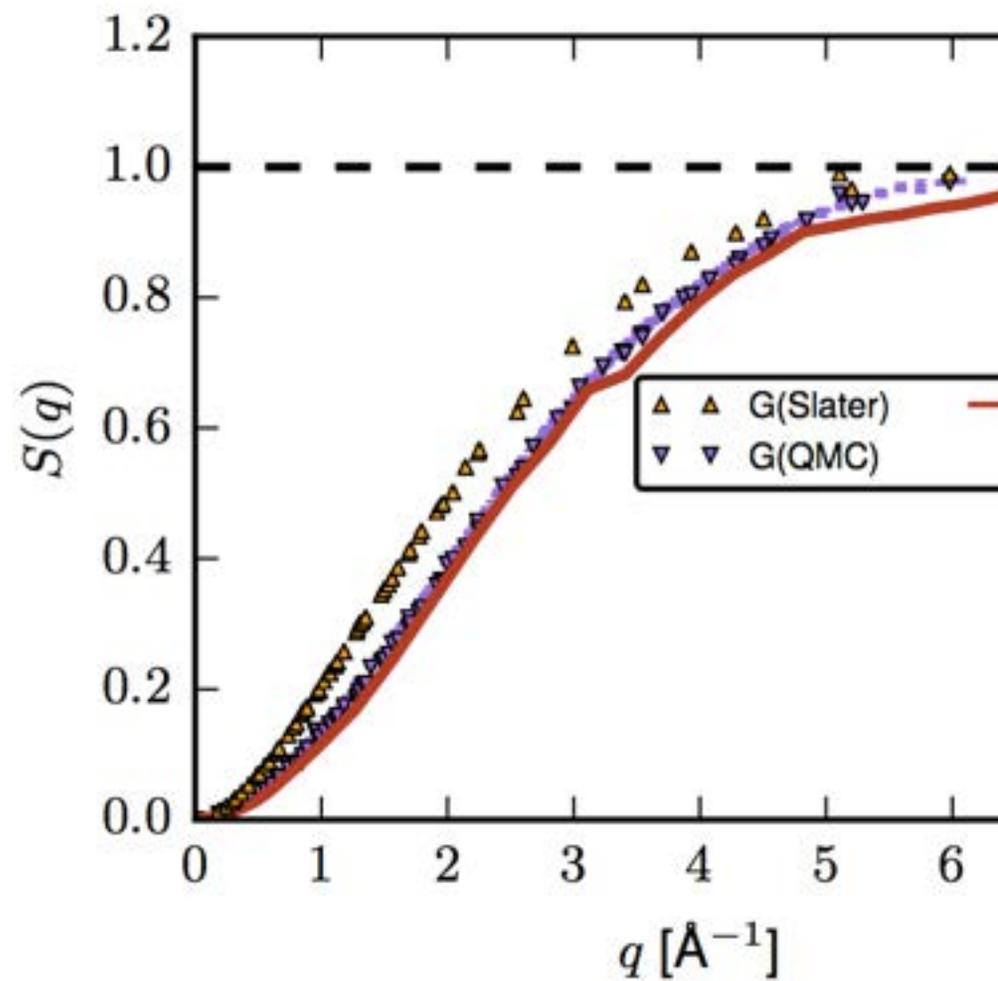
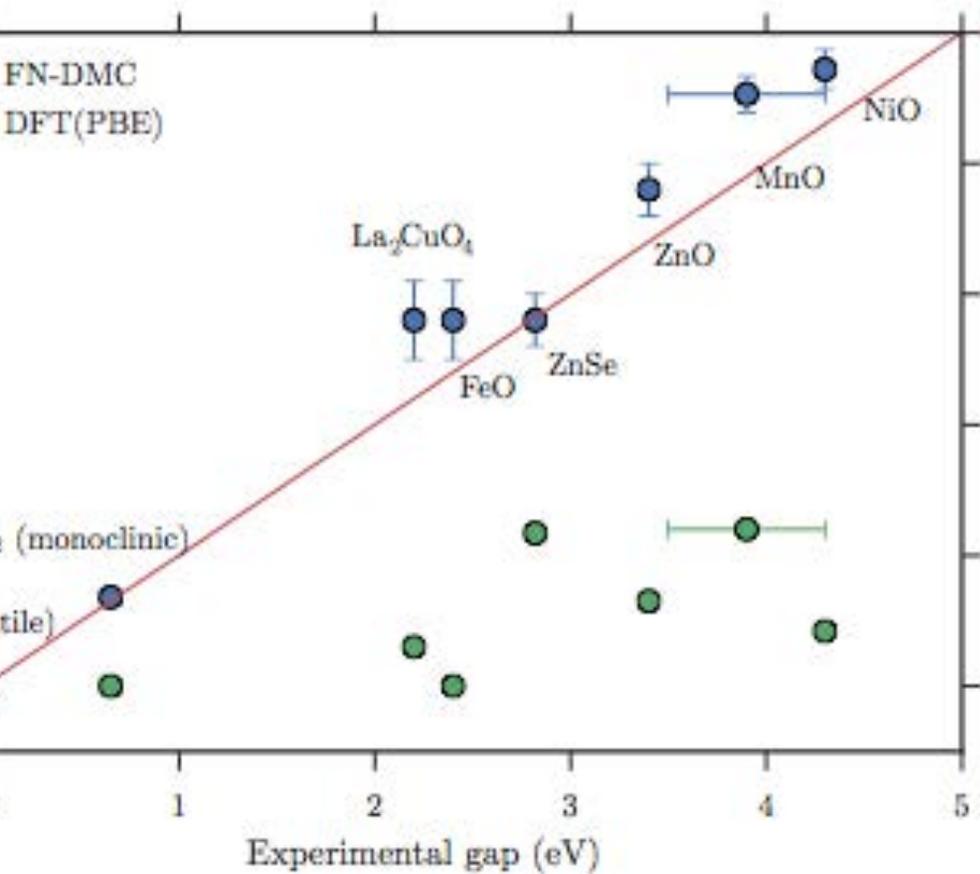
$$\langle \Psi_T | \mathcal{O} | \Phi_{FN} \rangle$$



Ca2CuO2O







$$S(\mathbf{q}) = \frac{1}{N} \sum_{ij} \langle \exp [i\mathbf{q} \cdot (\mathbf{r}_i - \mathbf{r}_j)] \rangle$$

Approximation	Controlled	Description	Assessment method
Core pseudopotential	No	Replace the core electrons with an effective potential	Vary within the space of reasonable potentials
Local projector	No	Approximate the diffusion Monte Carlo projector in the presence of a nonlocal potential	Vary trial function and projector approximations
Local trial	No	Fix the zeros of the trial wave function when performing diffusion Monte Carlo	Vary the trial wave function, apply variational theorem.
Time step	Yes	Approximate diffusion Monte Carlo projector	Reduce time step until quantities are converged.
Finite size	Yes	Finite size cells with periodic boundary conditions	Increase the supercell size and average over twisted boundary conditions

Energy differences are tiny compared to total energy.

Calculations are tedious, but now thanks to Blue Waters, they are completed by human time rather than computer

antum

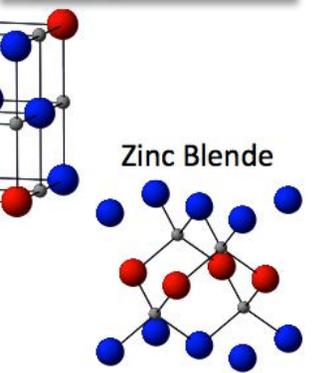
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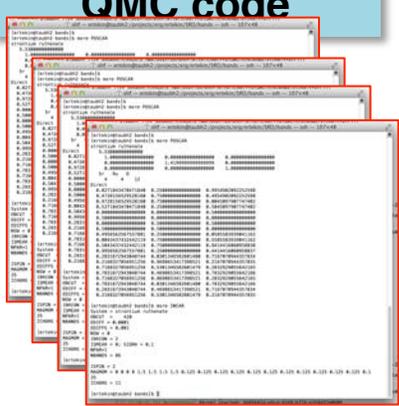
se

input:
crystallographic
information file
(CIF)

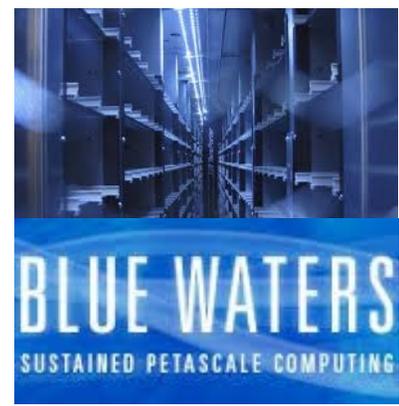


WORKFLOW FOR AUTOMATED MATERIALS CALCULATIONS

Generate
standard input for
DFT/
QMC code



DFT/QMC
simulations on
HPC Platform (Blue
Waters)



Gather provenance &
results, generate
database entry

- Run ID
- Method Details
 - Algorithm
 - Software Package
 - Convergence parameters
 - Basis, Pseudopotential
- Total Energy
- Other calculated properties (*i.e.* band structure for DFT)





First implementation

Testing

Hackathon

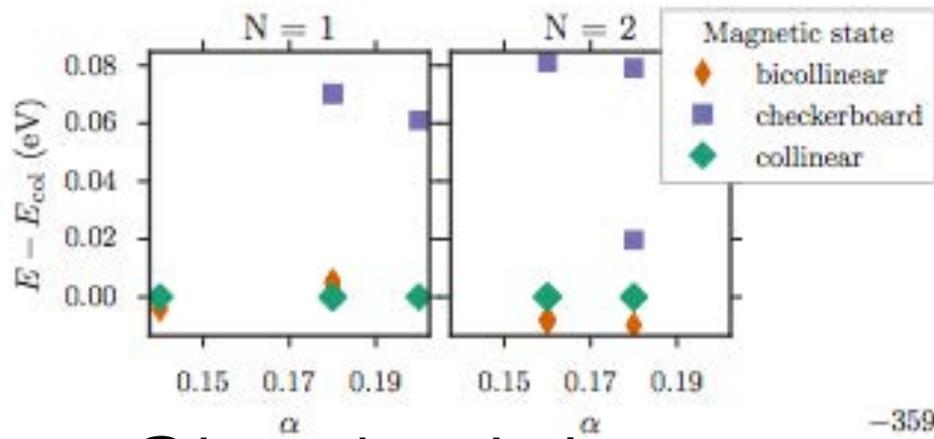
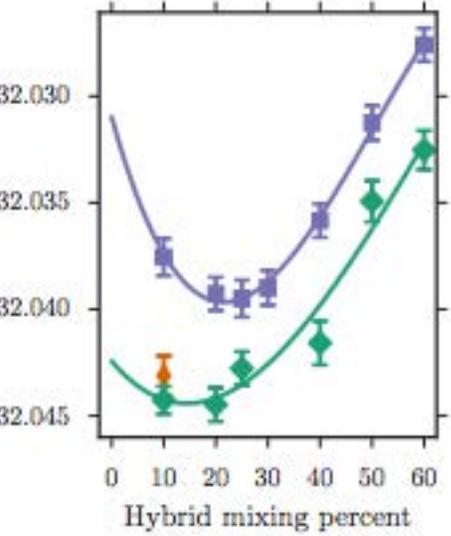
ub.com/qwalk



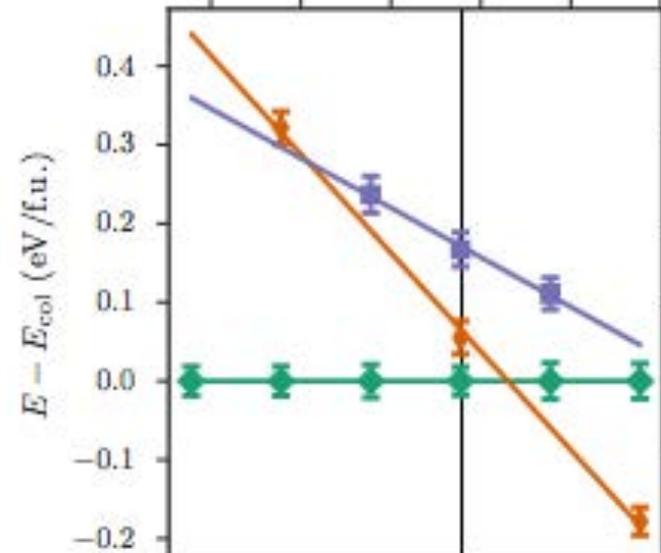
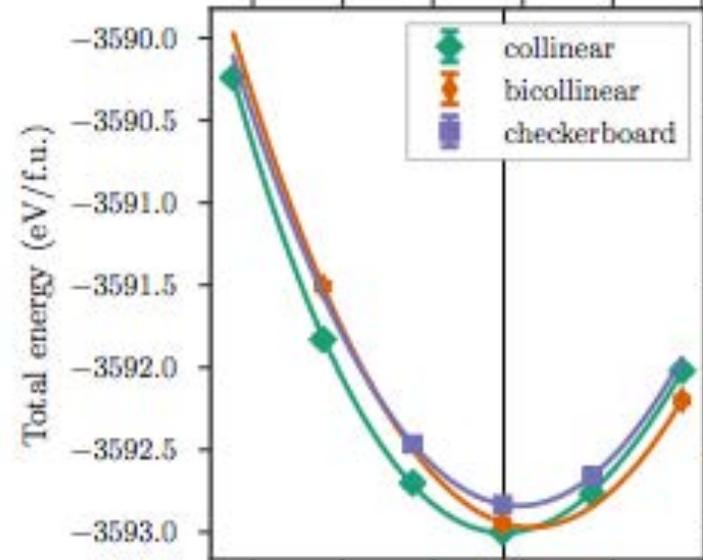
and best
nodal surface

generate a bunch of data for
analysis

without QMCDB (FeSe): 1.5 years
with QMCDB (FeTe): 3 months

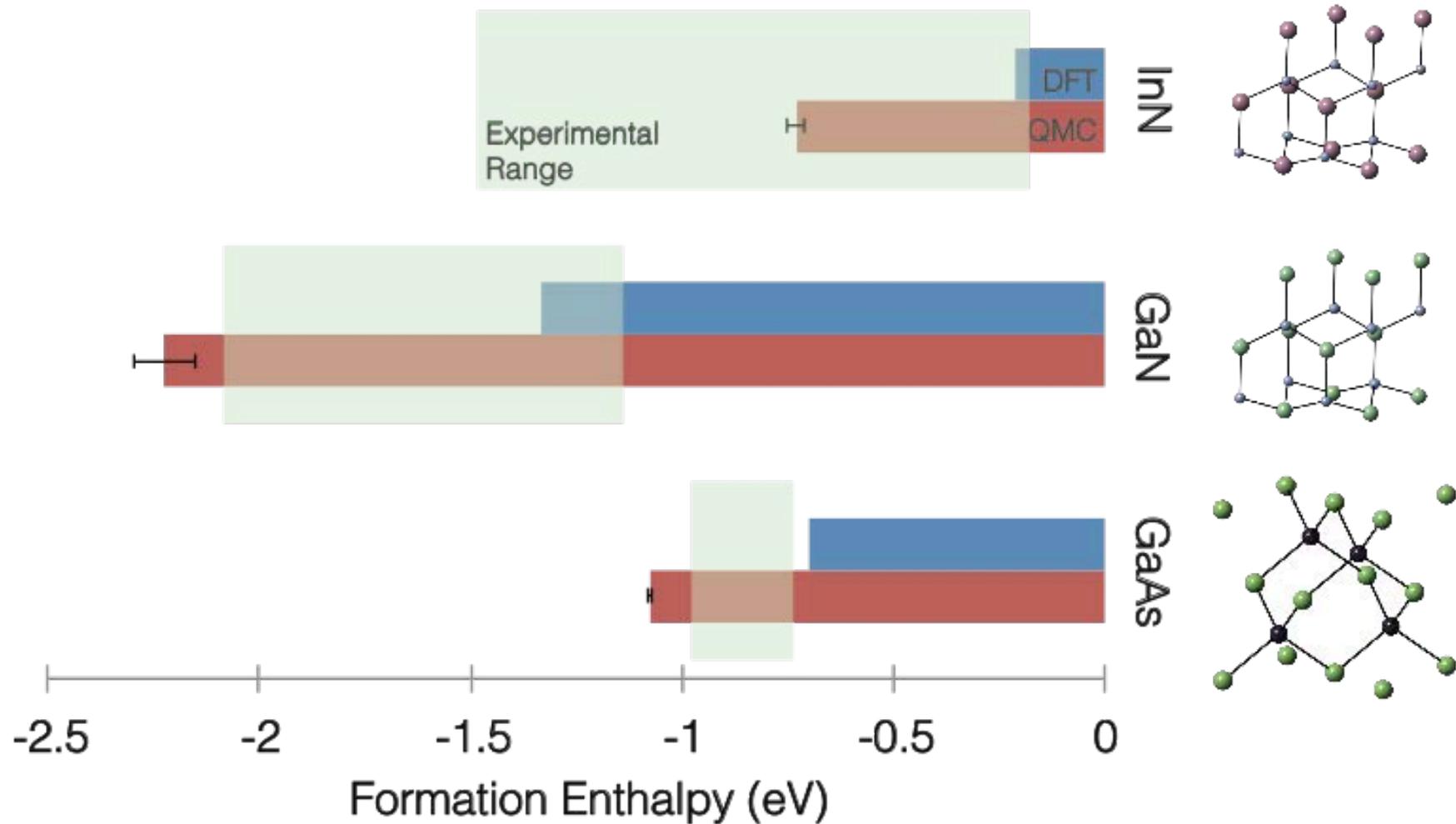


Check trial
function basis



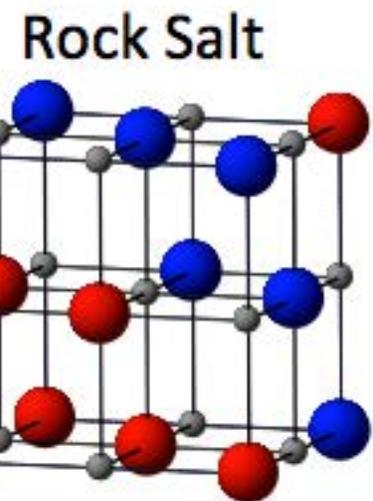
Bro

Comparison of Predicted Formation Enthalpies



Database of energies, all systematic
shows comparison of energies -> formation energy
necessary to figure out if we can make a new material

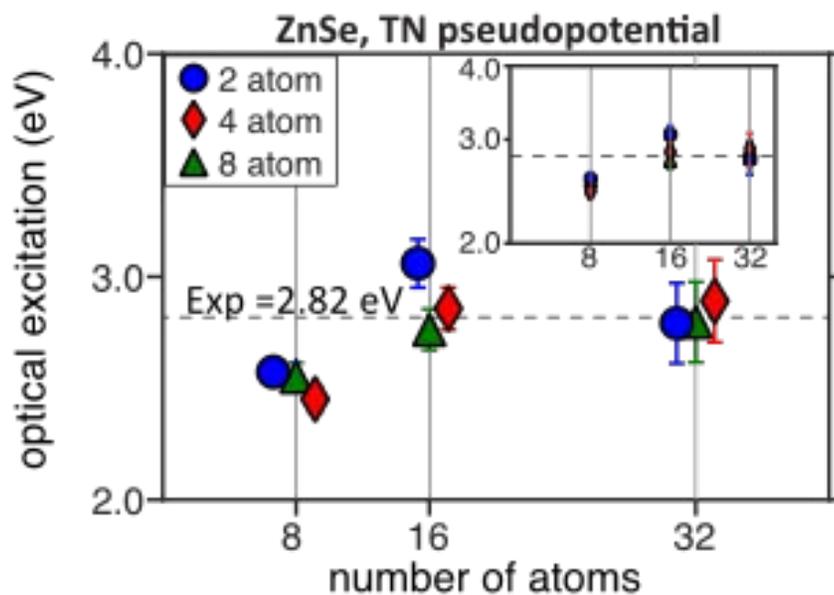
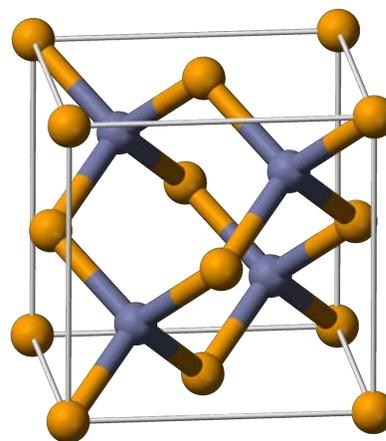
Manganese Oxide



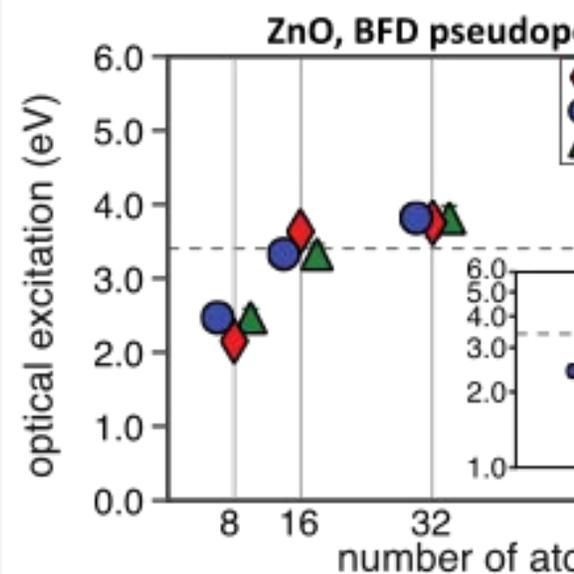
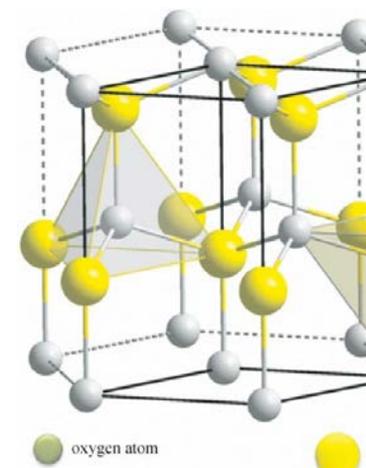
	Gap (eV)
ity	3.8-4.2
n	3.6-3.8
ssion	3.9 ± 0.4
opy	
ent	3.4
ments	
gap)	4.53(0.14)

re: Kolorenc & Mitas

Zinc Selenide



Zinc Oxide



Gaps are within few tenths of an eV on very challenging

Some gaps may be over-estimated.

- Finite size effects for excited states?

able to compute highly accurate reference data for materials more systematically and with much less human effort than before.

is enabling scientific understanding of how electronic structure affects material properties, and how that results in the properties of materials.

materials database of properties calculated using

Joshua A. Schiller, Lucas K. Wagner, Elif Ertekin, "Phase Stability Properties of Manganese Oxide Polymorphs: Assessment and Insights from Diffusion Monte Carlo", Phys. Rev. B 92, 235209 (2015)

[DOI: 10.1103/PhysRevB.92.235209](https://doi.org/10.1103/PhysRevB.92.235209)

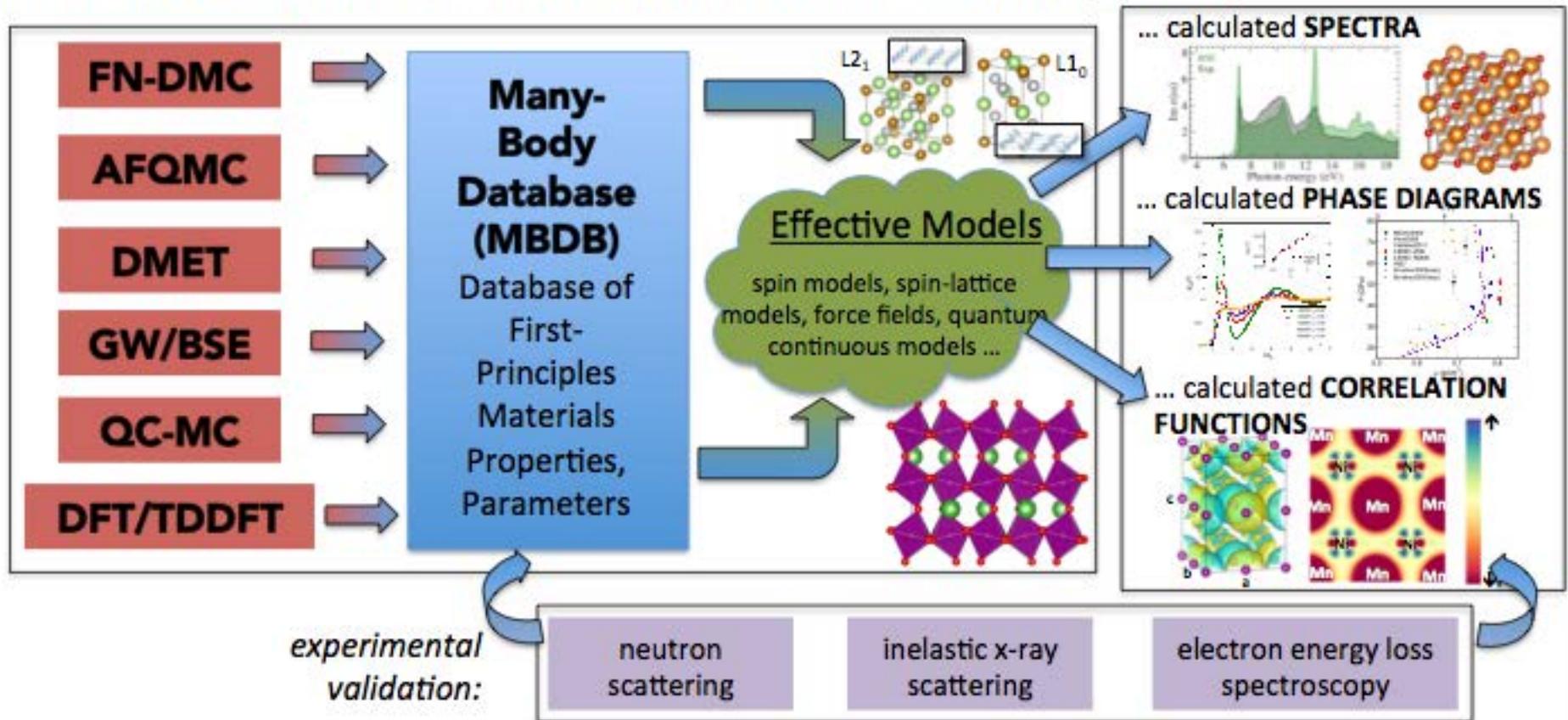
Maehyung Yu, Lucas K. Wagner, Elif Ertekin, "Towards a systematic assessment of errors in diffusion Monte Carlo calculations of semiconductors: case study of zinc selenide and zinc oxide", J. Chem. Phys. 143 224707 (2015) [DOI: 10.1063/1.4937421](https://doi.org/10.1063/1.4937421)

Maehyung Yu, Lucas K. Wagner, Elif Ertekin, "Quantum Monte Carlo simulations of nitrogen defects in zinc oxide", manuscript submitted for publication.

Joshua A. Schiller, Ray Plante, Lucas K. Wagner, Elif Ertekin, "Quantum Monte Carlo Database and Autogen: a shared community tool for many-body statistical simulations of materials", manuscript in preparation

Maehyung Yu, Elif Ertekin, "Exciton binding energy of two-dimensional MoS_2 and WS_2 from diffusion Monte Carlo" manuscript in preparation

MANY-BODY TOOLS FOR MATERIALS COMPUTATION (MTMC)



University of Illinois • William and Mary College • Caltech • National Center for Supercomputing Applications • Argonne National Labs

out in large proposal that uses these ideas

ce to resolve many body quantum problems (at le



NSF Graduate research fellowships



Josh Schiller



Brian B.

